

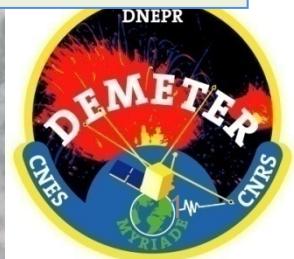


The Comparison of the ionospheric plasma turbulence in the polar cusp and over seismic regions- Analysis of the DEMETER's measurements

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DEMETER WORKSHOP, PARIS,
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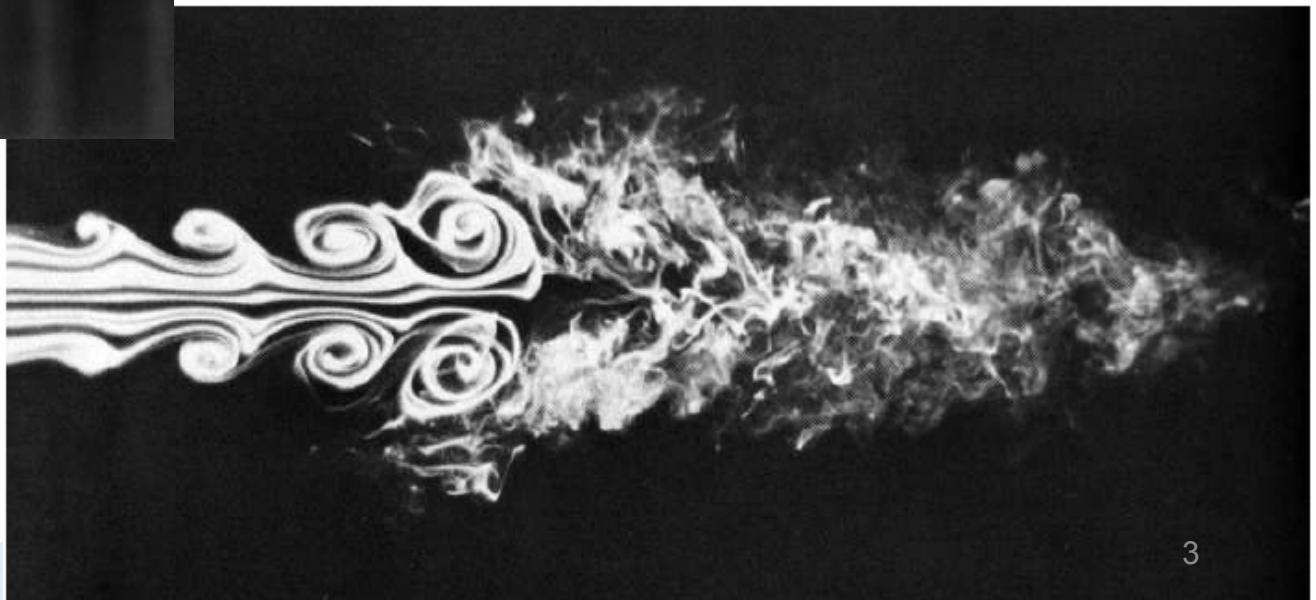
OUTLINE

- MOTIVATION
- METHODOLOGY
- REGISTRATIONS: L'AQUILA,
CHILE, POLAR CUSP.
- SUMMARY AND CONCLUSIONS



What is turbulence ?

Turbulent is a complex, nonlinear multiscale phenomenon, which poses some of the most difficult and fundamental problems in classical physics. It is also of tremendous practical importance in making predictions—for example, about heat transfer in nuclear reactors, drag in oil pipelines, the weather, and the circulation of the atmosphere and the oceans. ***But what is turbulence?*** Why is it so difficult to understand, to model, or even to approximate with confidence?



How to describe turbulence?

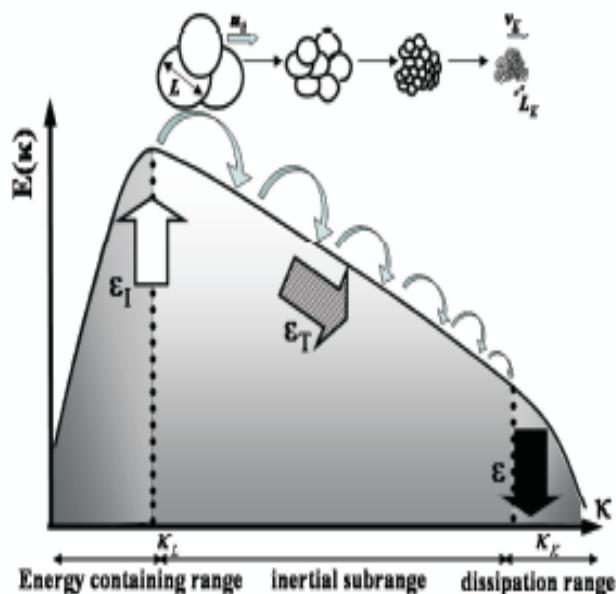


Fig. 1.7 Sketch of the energy cascade. In physical space, the large eddies are broken into smaller and smaller eddies. The energy is injected into the flow by the driving mechanisms at the rate ϵ_I , transferred to smaller scales at the rate ϵ_T and dissipated into heat at the rate ϵ . The local equilibrium assumption is expressed by the equality $\epsilon_I = \epsilon_T = \epsilon$. Both scales are logarithmic.

The definition of the turbulence in the fluids, gases and plasmas is still under discussion, but some *essential features of the turbulence* are out of the discussion.

They are :

Many degrees of freedom (***different scales***)

All of them in ***non -linear*** interaction (cross-scale couplings)

Main characterization:

Shape of the ***power spectrum*** and higher spectral features

Statistical methods of the turbulence description : PDF, skewness and kurtosis , intermittency, structural function.

Theory of the turbulence predicts the different slope of the spectra for the different types of the turbulence

Noncompressible turbulence (K-1941) $\Rightarrow k^{-5/3}$
Kolmogorow

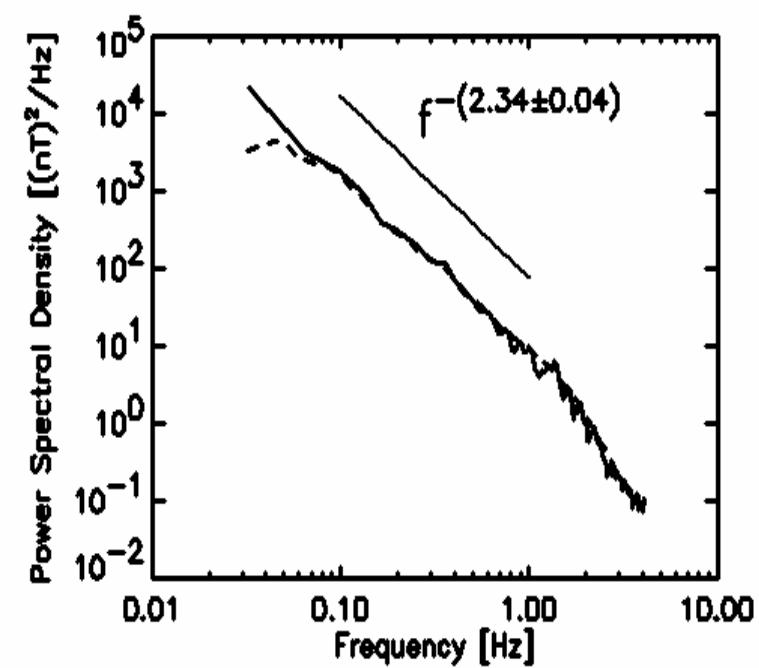
Noncompressible isotropic MHD (IK-1965) $\Rightarrow k^{-3/2}$
Iroshnikov-Kraichnan

Noncompressible anisotropic MHD (SG-2000) $\Rightarrow k_{\perp}^{-2}$
Sridhar and Goldreich

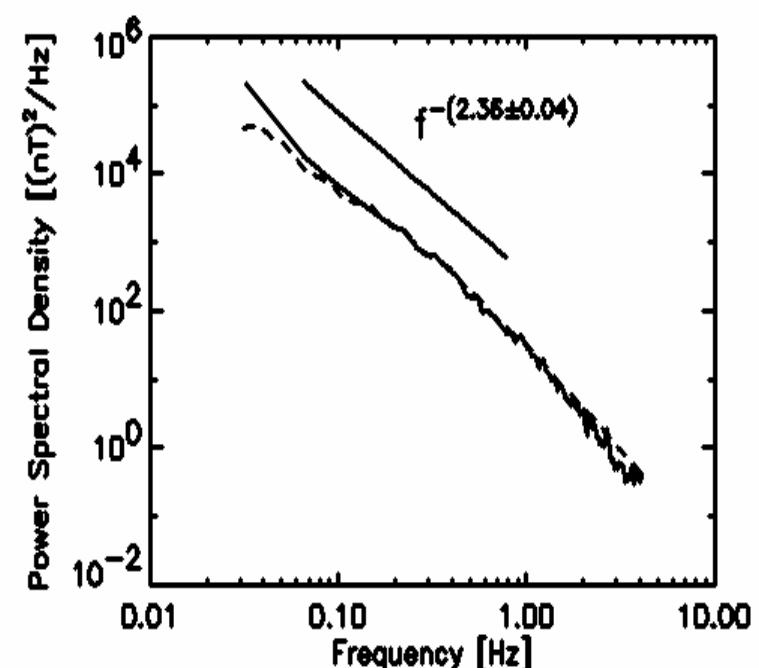
Whistler turbulence (DB-1997) $\Rightarrow k^{-7/3}$

Examples of power spectra
of the magnetic field fluctuations, measured in the
cusp (POLAR satellite)

By110497_1



B091096_5



Yordanova, 2005

METHODOLOGY

The Fourier spectrum –for identification of disturbed areas

The complex Morlet wavelet- to study time evolution with high resolution

The bispectral analysis allows us to find the wave modes nonlinearly interacting by 3 waves processes.

The resonance conditions for these processes are:

- $\omega_1 + \omega_2 = \omega_3$
- $\mathbf{k}_1 + \mathbf{k}_2 = \mathbf{k}_3$

A quantitative measure of the phase coherency may be made by computing of the bicoherence spectrum which is defined in terms of the bispectrum as

$$b^2(k, l) = \lim_{T \rightarrow \infty} \frac{1}{T} \frac{|B(k, l)|^2}{P(k)P(l)P(k+l)}$$

Where $P(k), P(l)$ and $P(k+l)$ are auto power spectra,

$$B(k, l) = E[X_k X_l X_{k+l}]^*$$

Statistics for the turbulence

Turbulence is non-Gaussian. The seemly random and intermittent nature of turbulence causes its probability density distribution not to be characterized by the bell-shaped curve. Instead it is skewed and kurtotic.

$$\langle x^n \rangle = \int_{-\infty}^{\infty} c^n B_x(c) dc$$

$$S = \frac{\langle (x - X)^3 \rangle}{\langle (x - X)^2 \rangle^{3/2}}$$

Skewness, says about deviation of PDF from Gaussian distribution

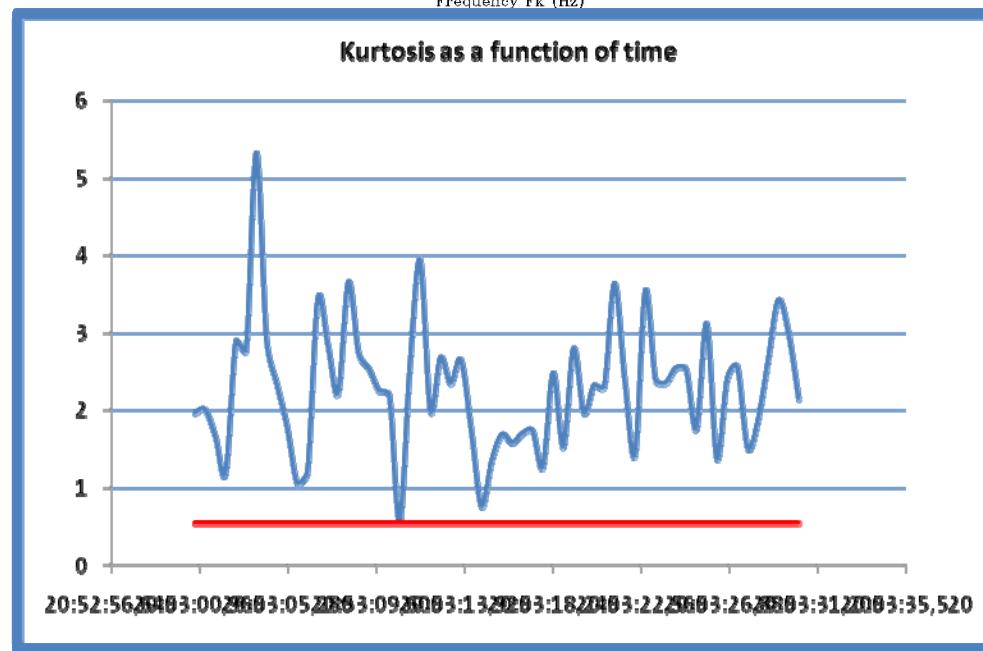
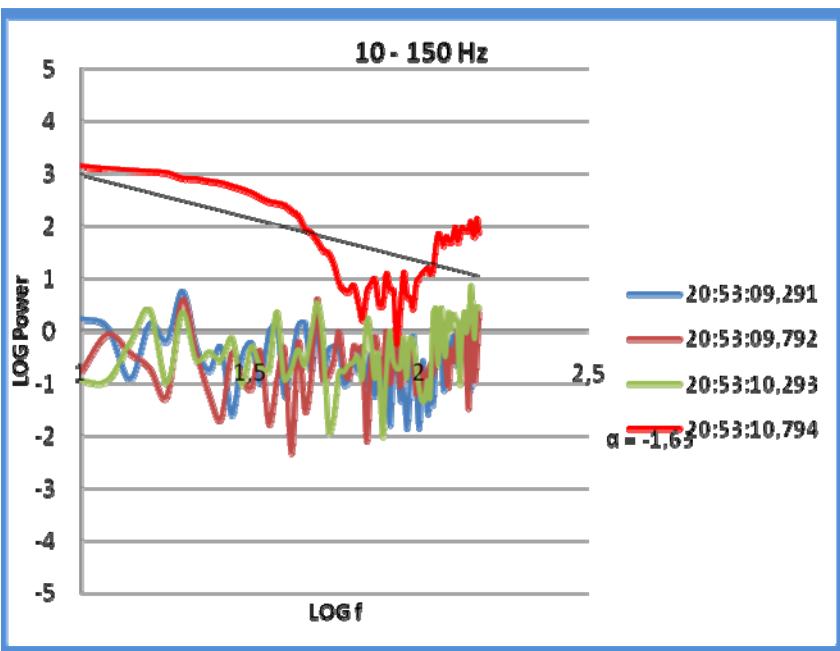
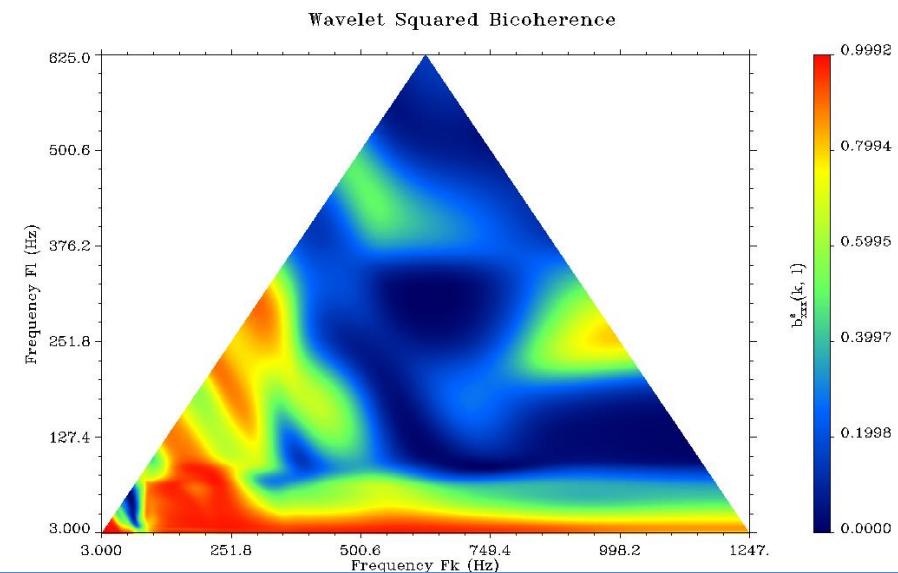
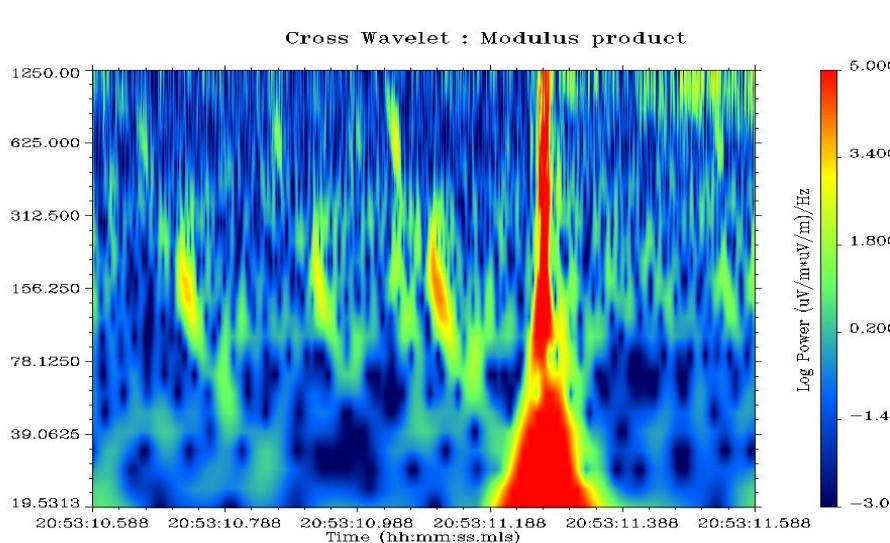
$$K = \frac{\langle (x - X)^4 \rangle}{\langle (x - X)^2 \rangle^2}$$

kurtosis

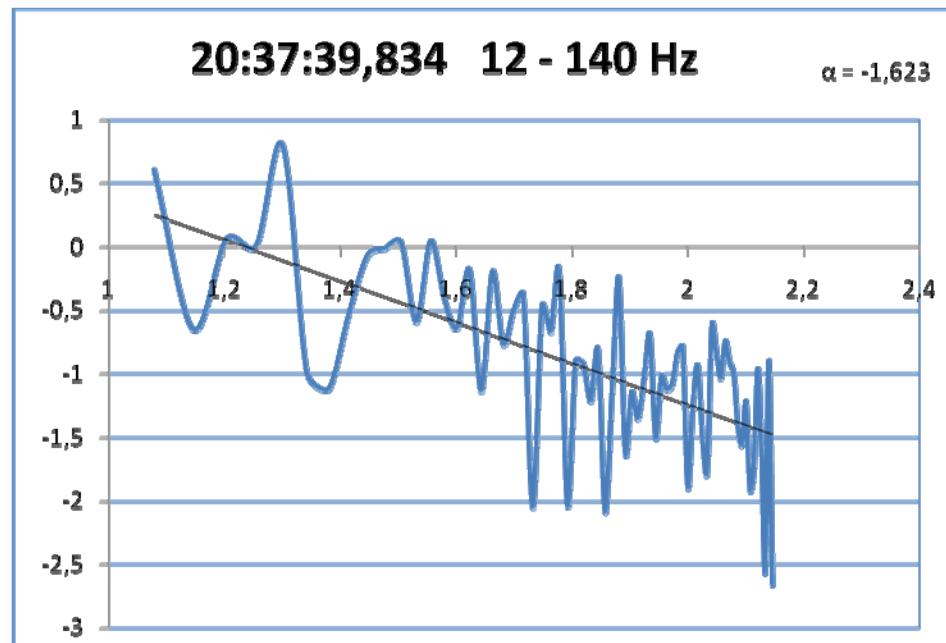
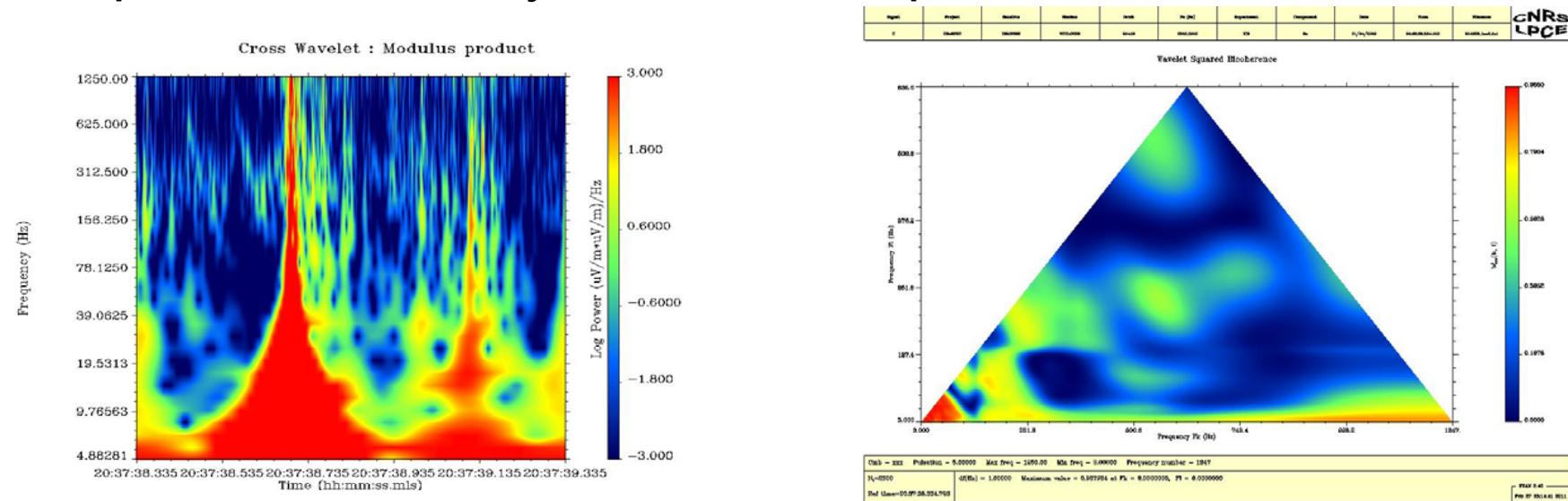
the kurtosis is a measure of intermittence in flows and is the parameter that controls the shape of PDF.

L'Aquila Earthquake 2009-04-06
at 01:32:41.4UTC
Magnitude Mw 6.3
Location:42.38 N ; 13.32 E
Depth: 2 km

March 26, 11 days before the earthquake distance $\approx 245\text{km}$

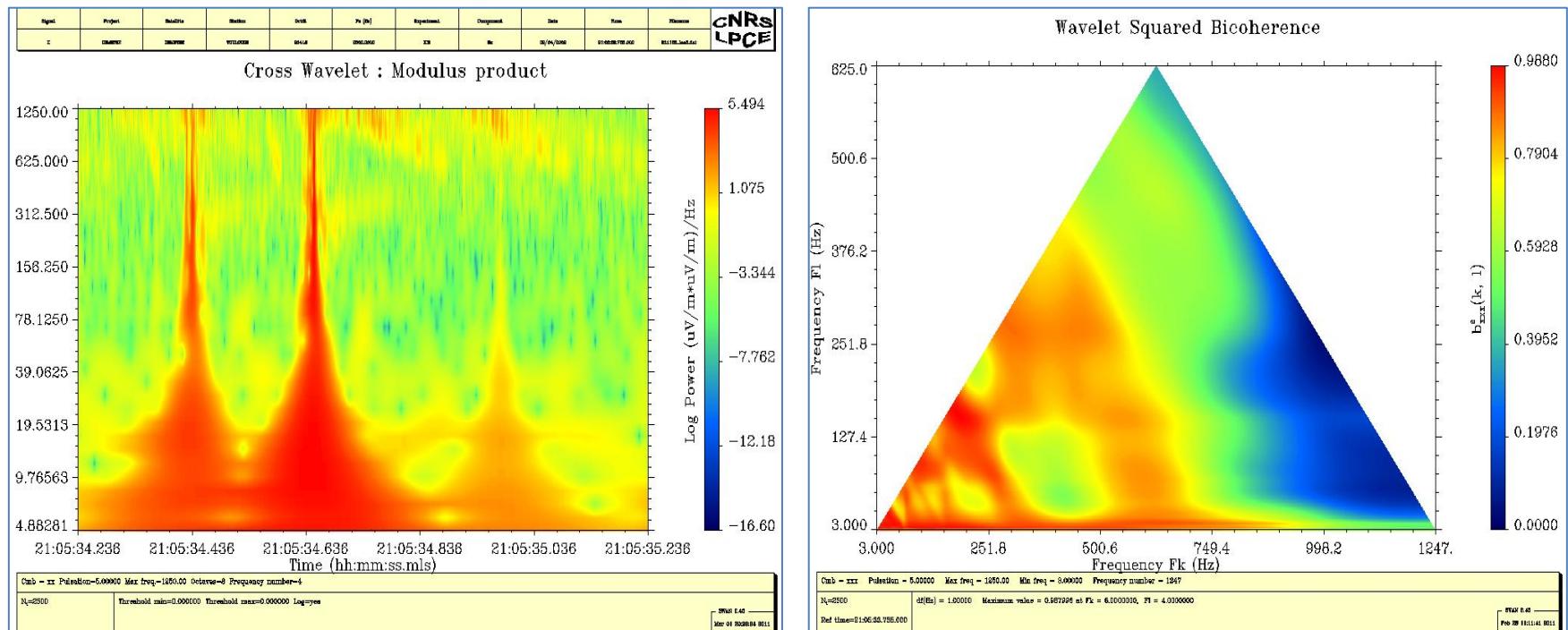


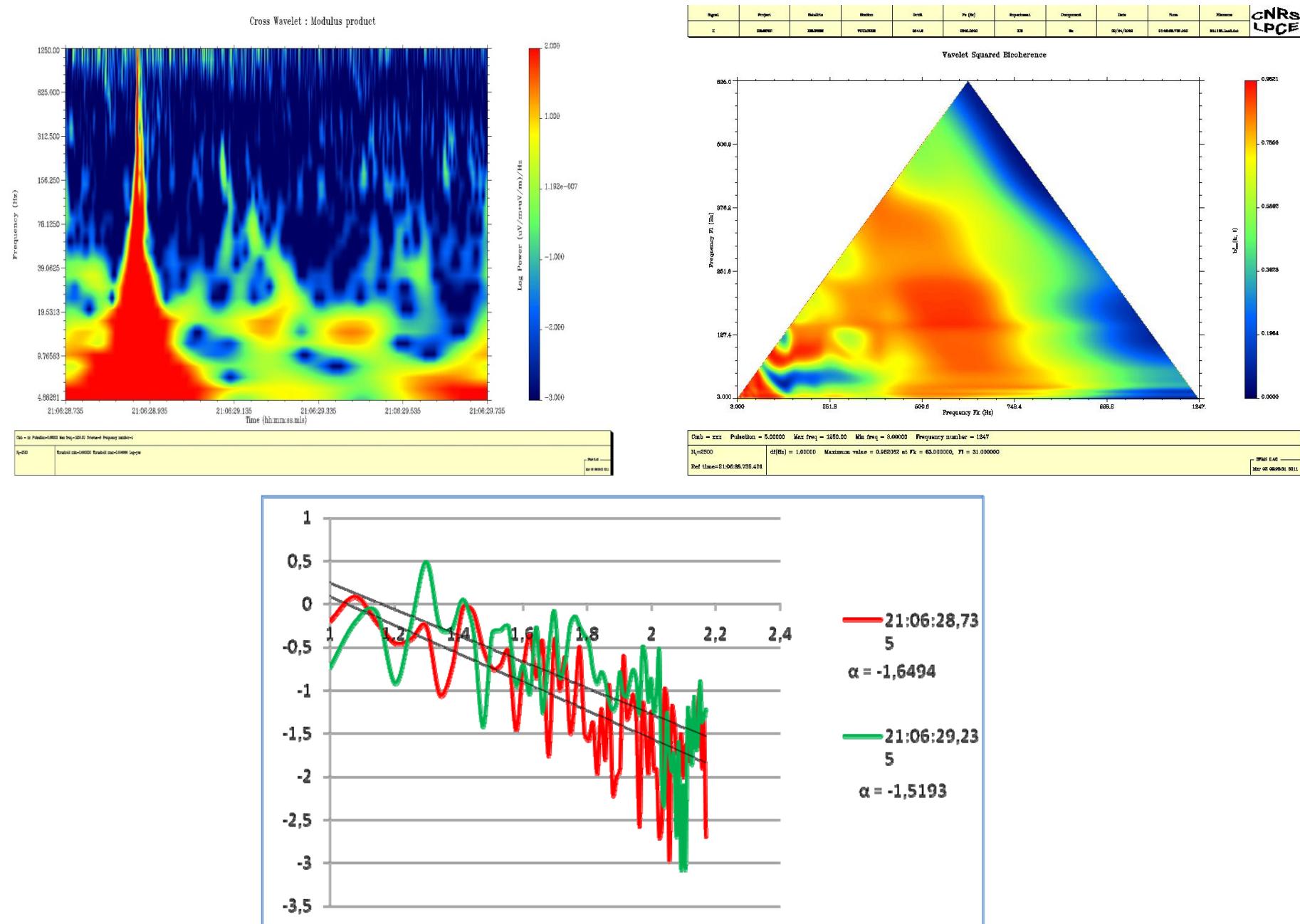
April 1 20:37 5 days to the earthquake $d \approx 60\text{km}$

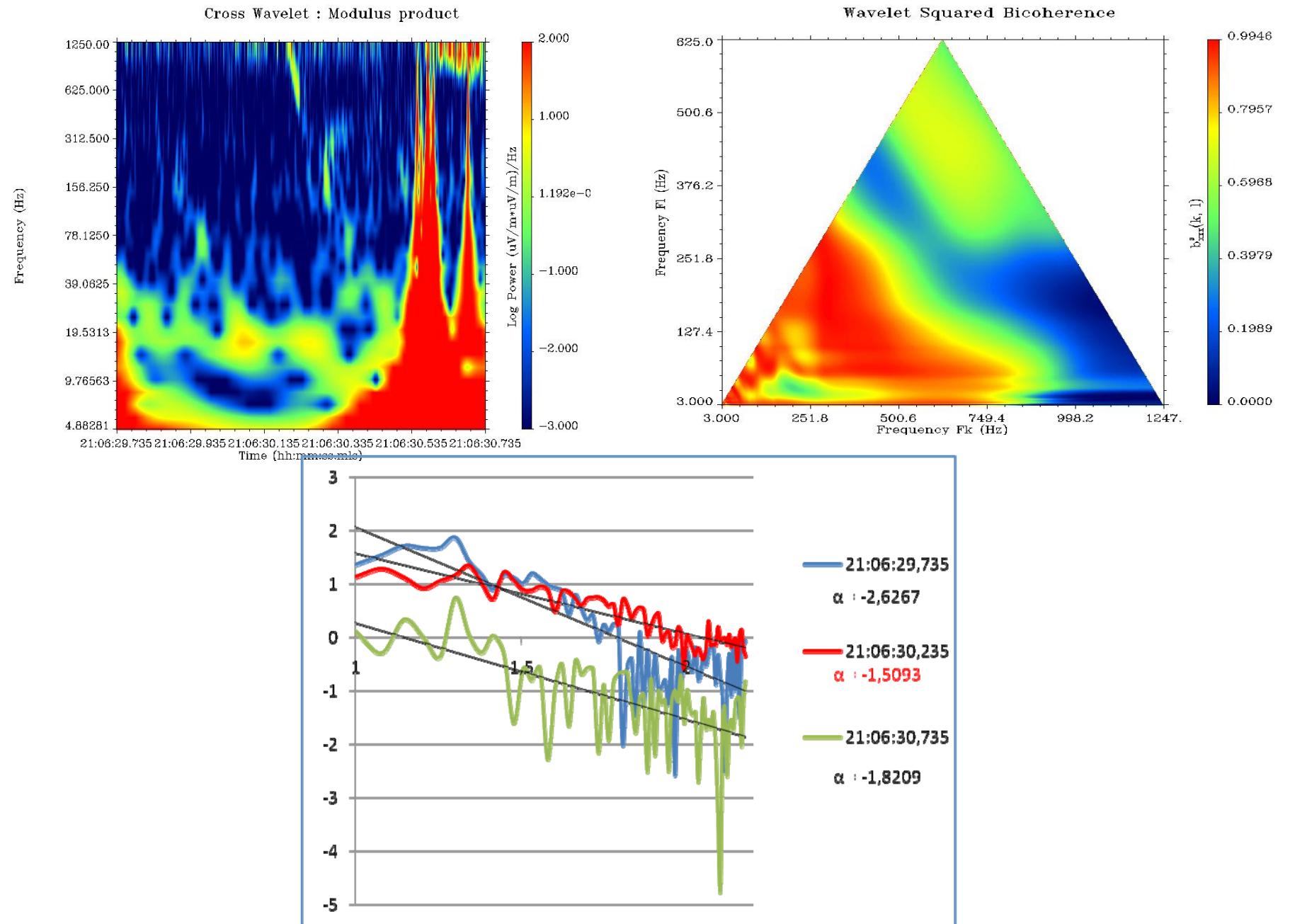


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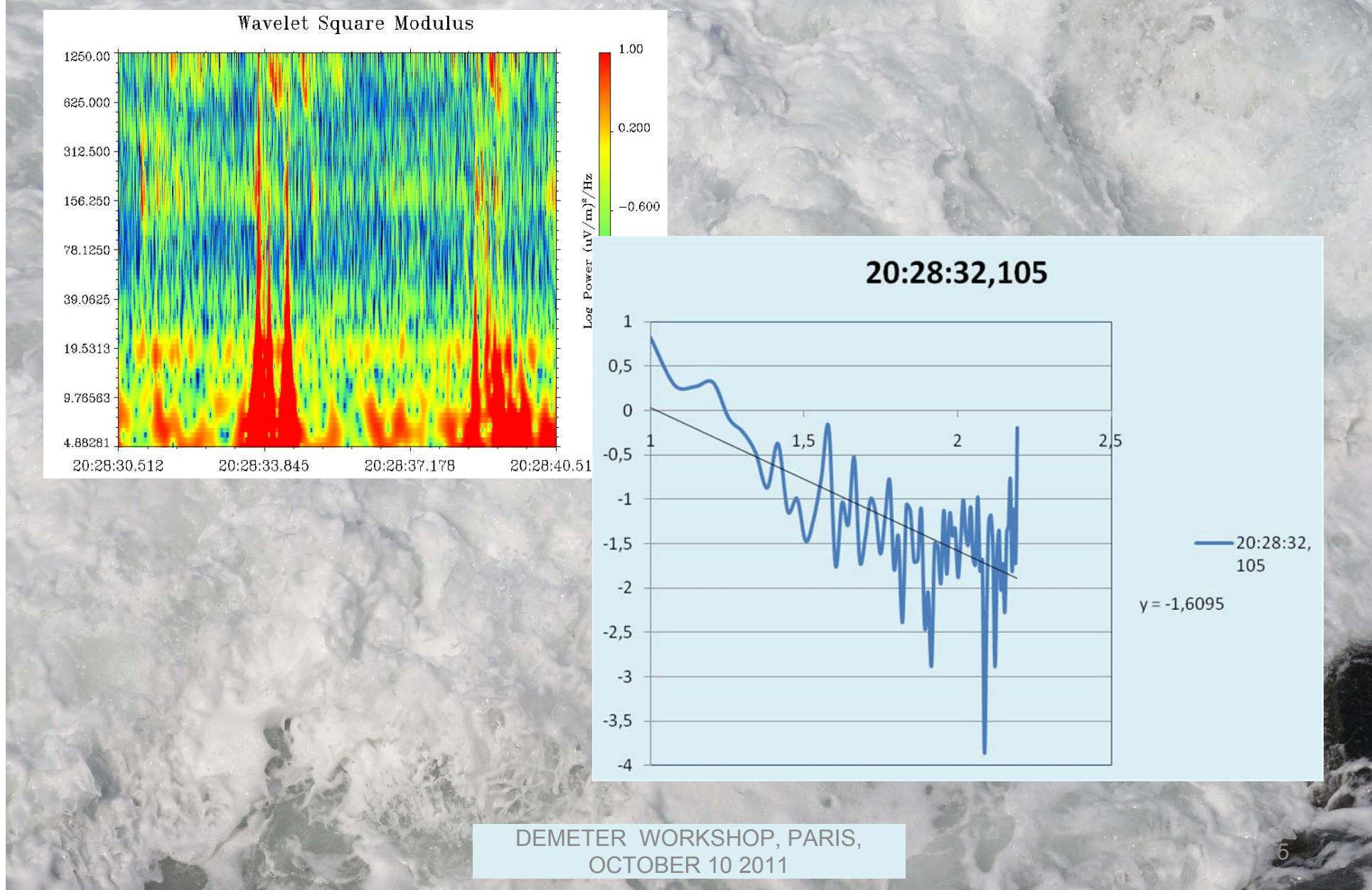
April 2 4 days to eq d≈700km







2 days to the earthquake 2009 04 04 Kp 0 0 0 0+0+0+0+0+ Σ 2-
Distance to epicenter \approx 300km



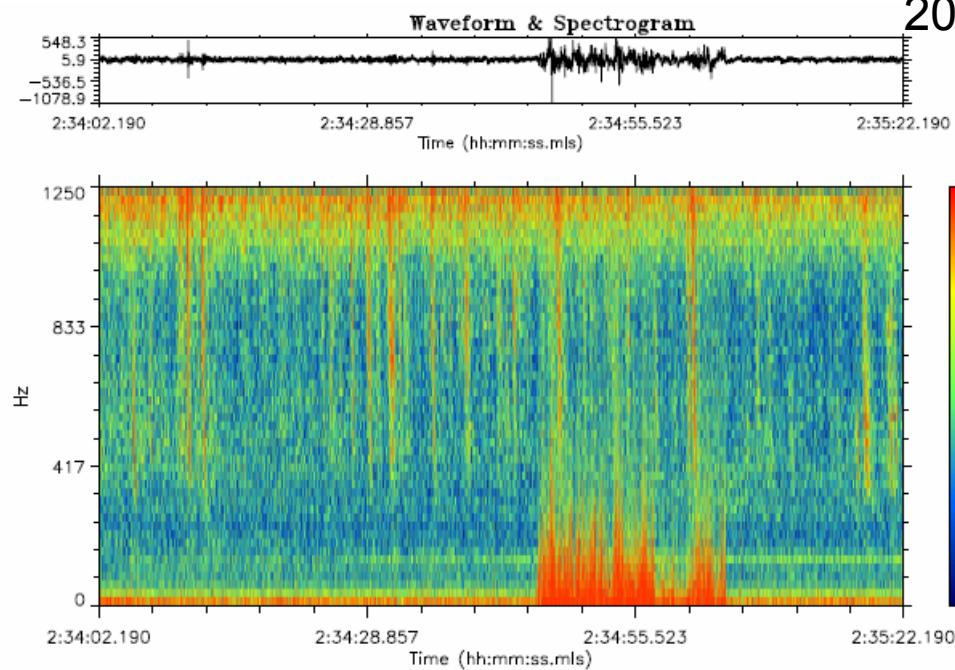
CHILE Earthquake

Magnitude: Mw 8.8

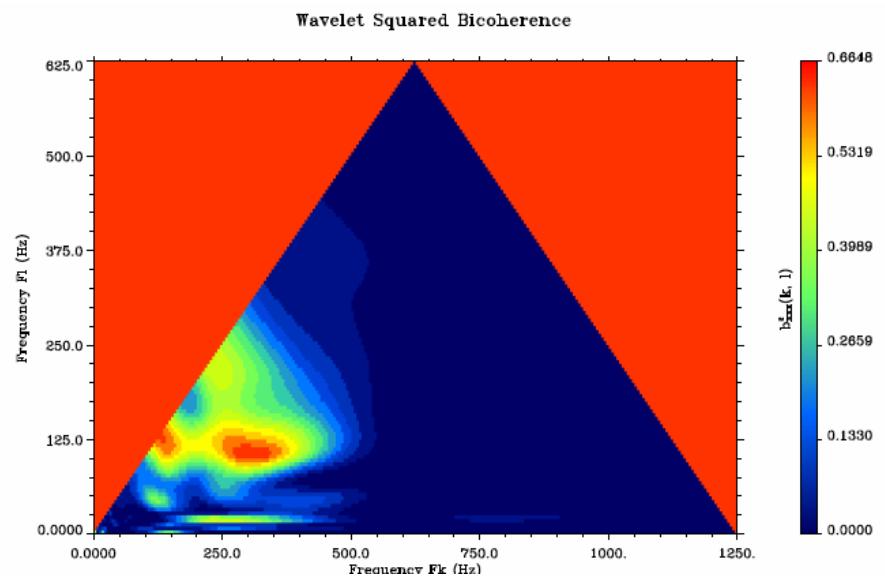
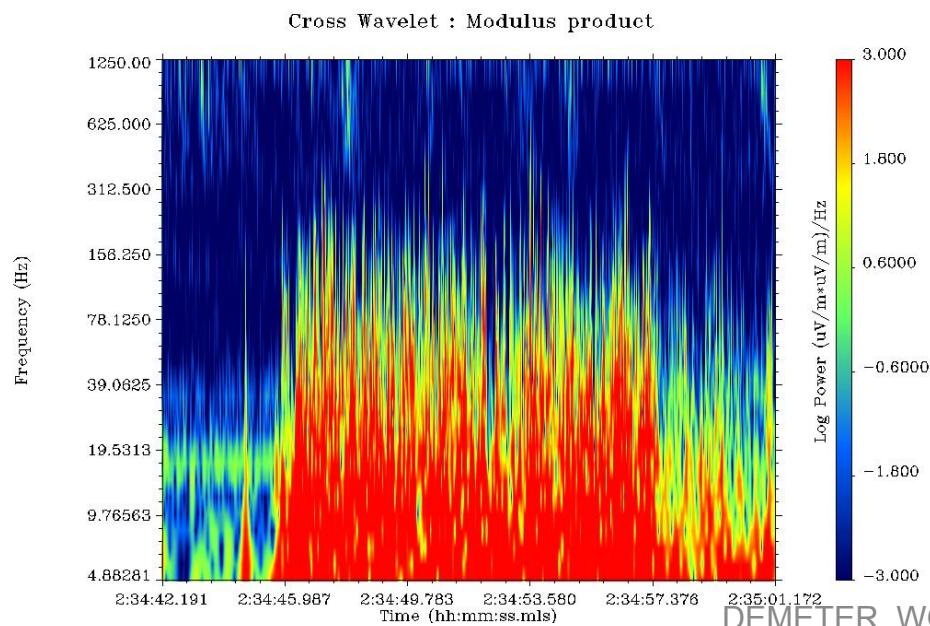
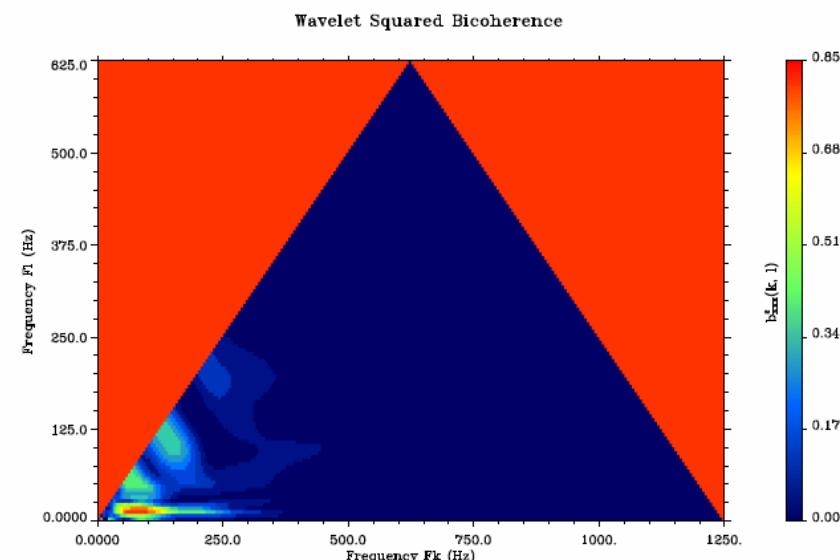
Time: 2010-02-27 at 06:34:14.1 UTC

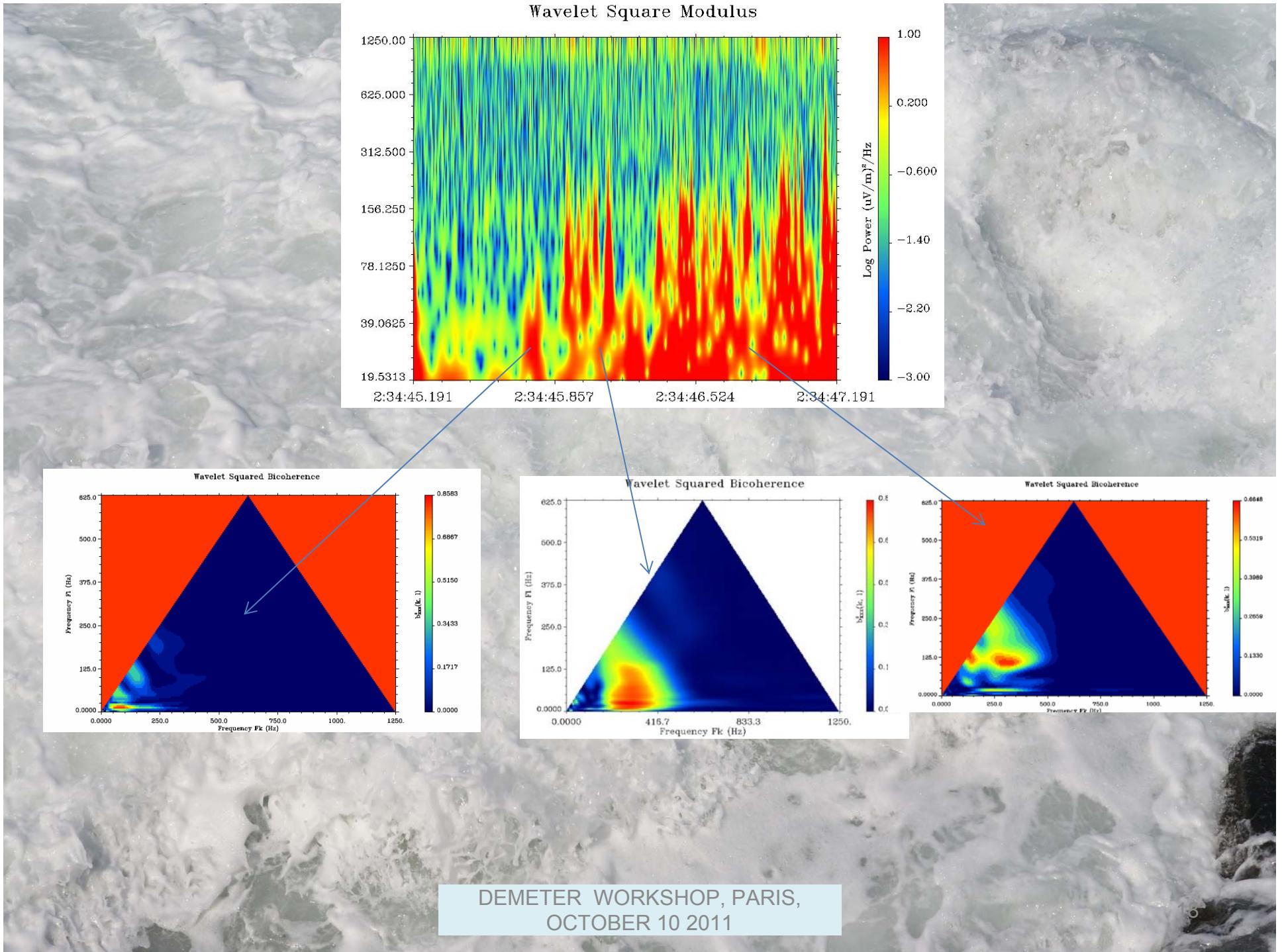
Location: 35.89 S ; 73.04 W

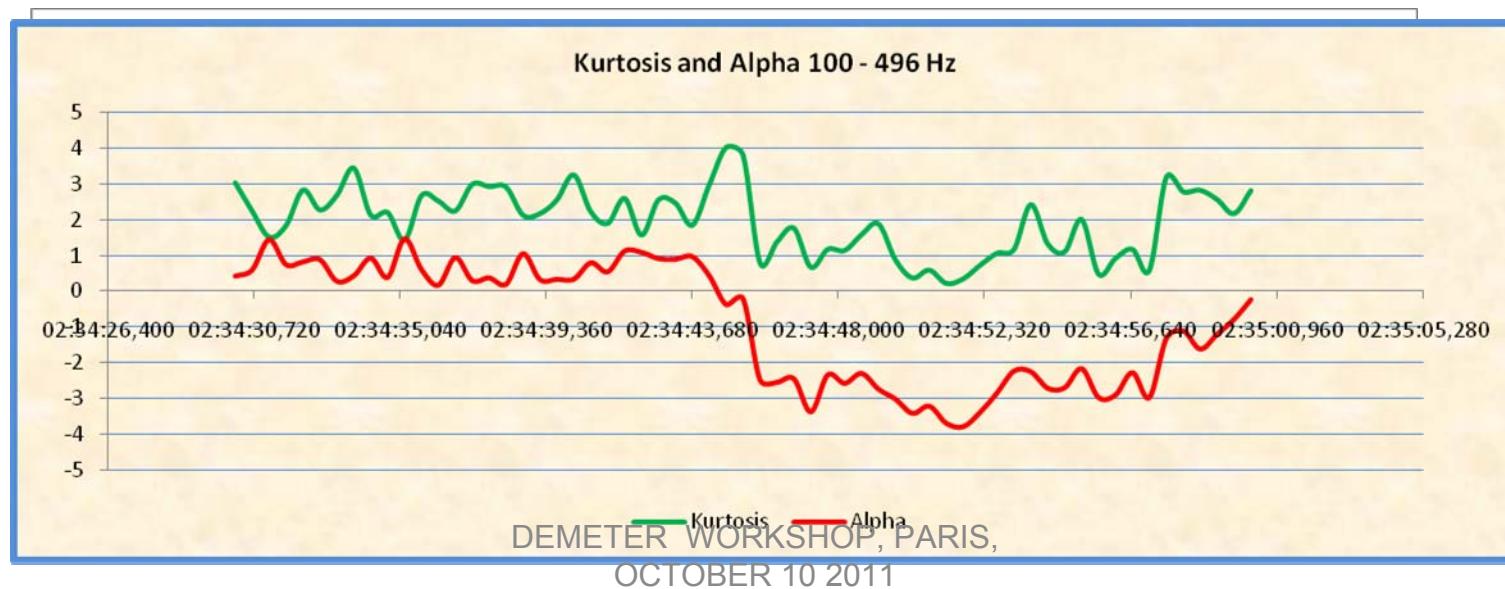
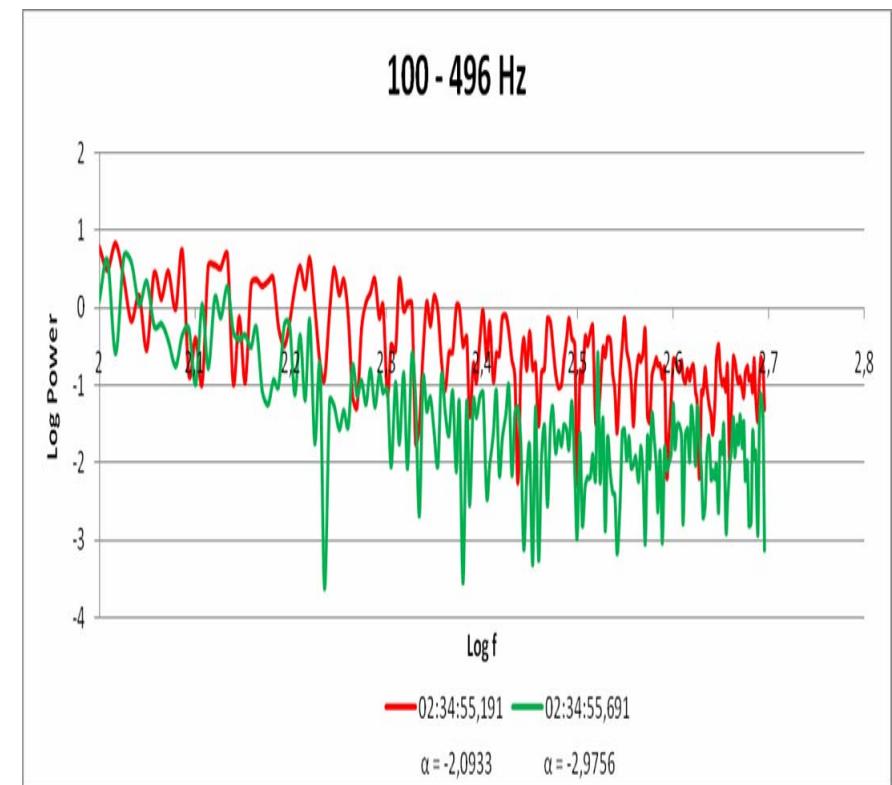
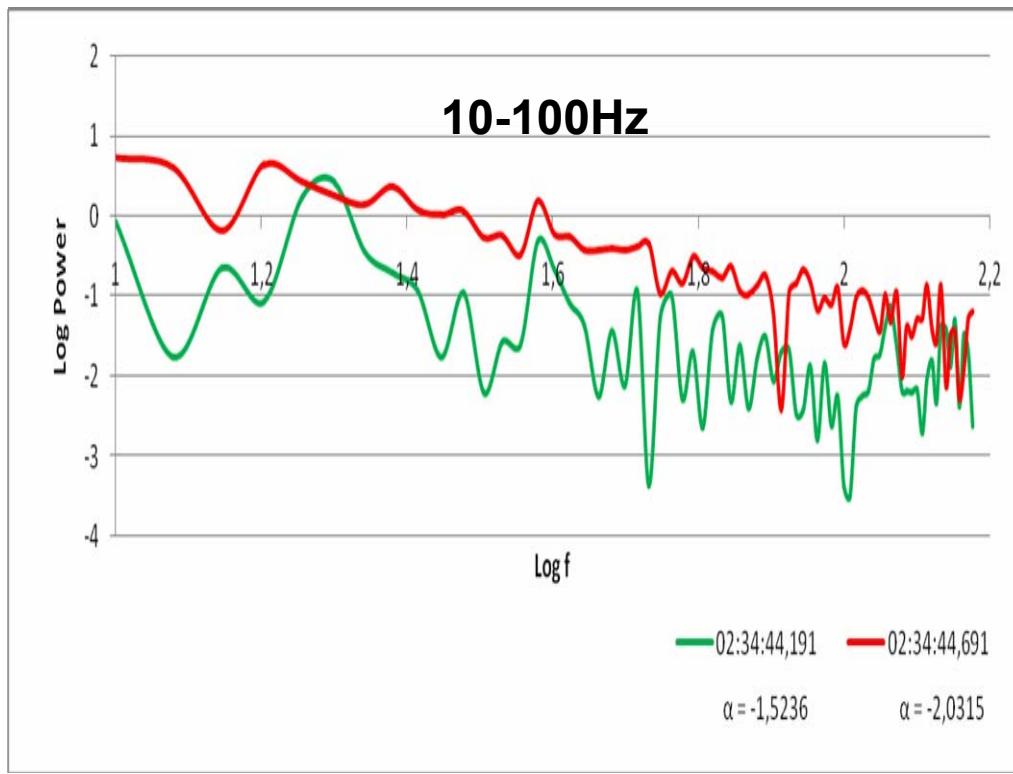
Depth: 30 km



2010 02 18 Kp 0+0 0+1 2 3 2 0 $\Sigma + 9$ $d \approx 630$ km



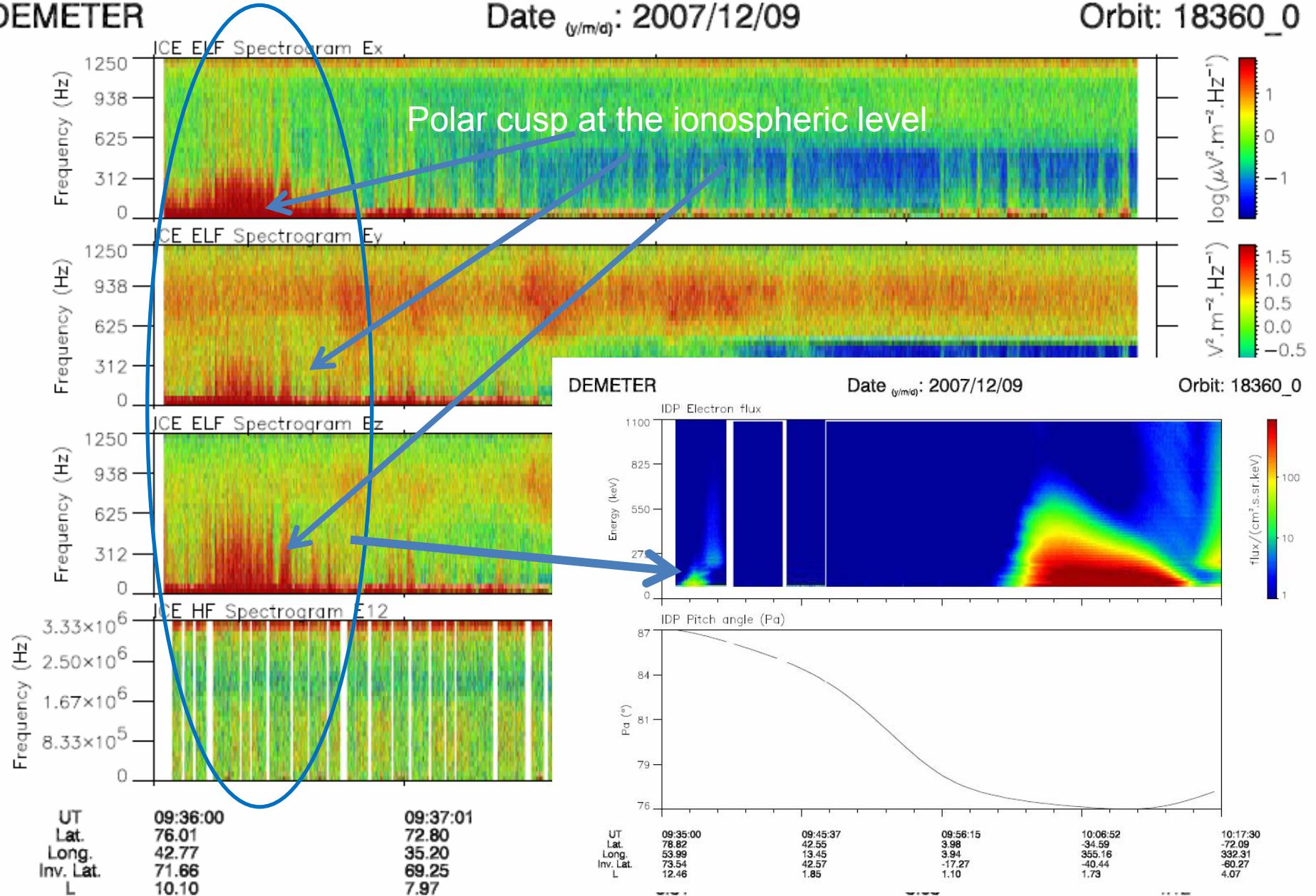


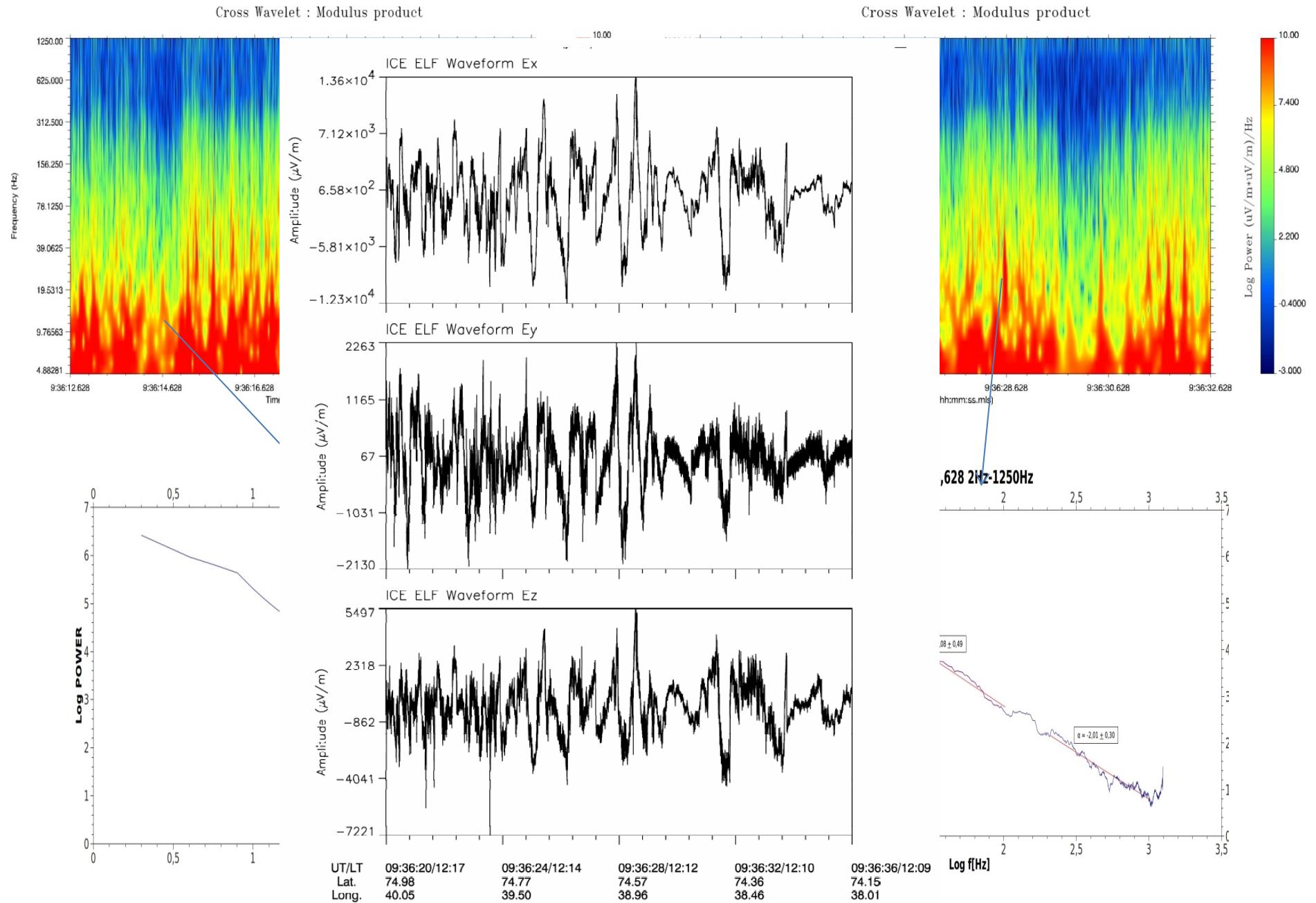


DEMETER

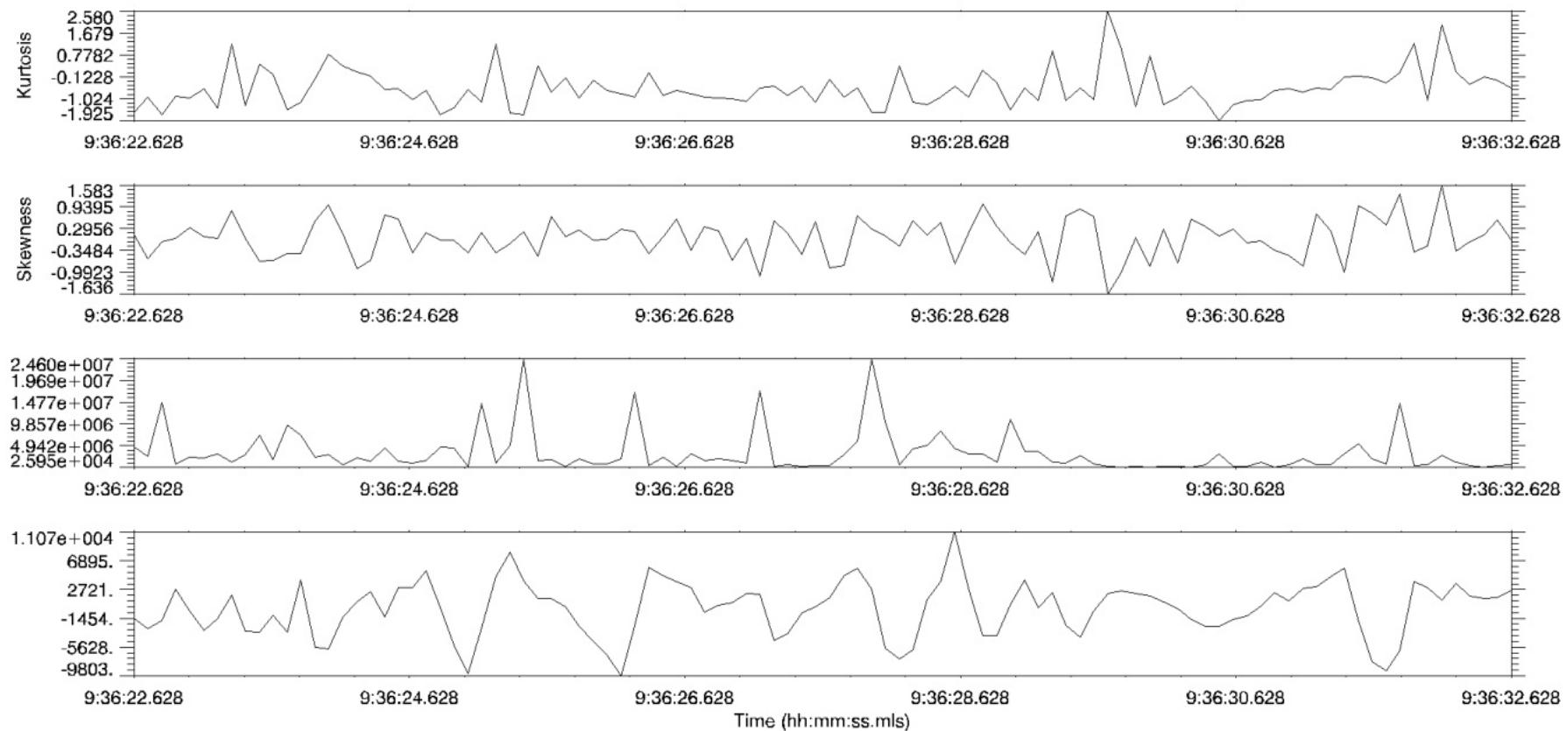
Date (y/m/d): 2007/12/09

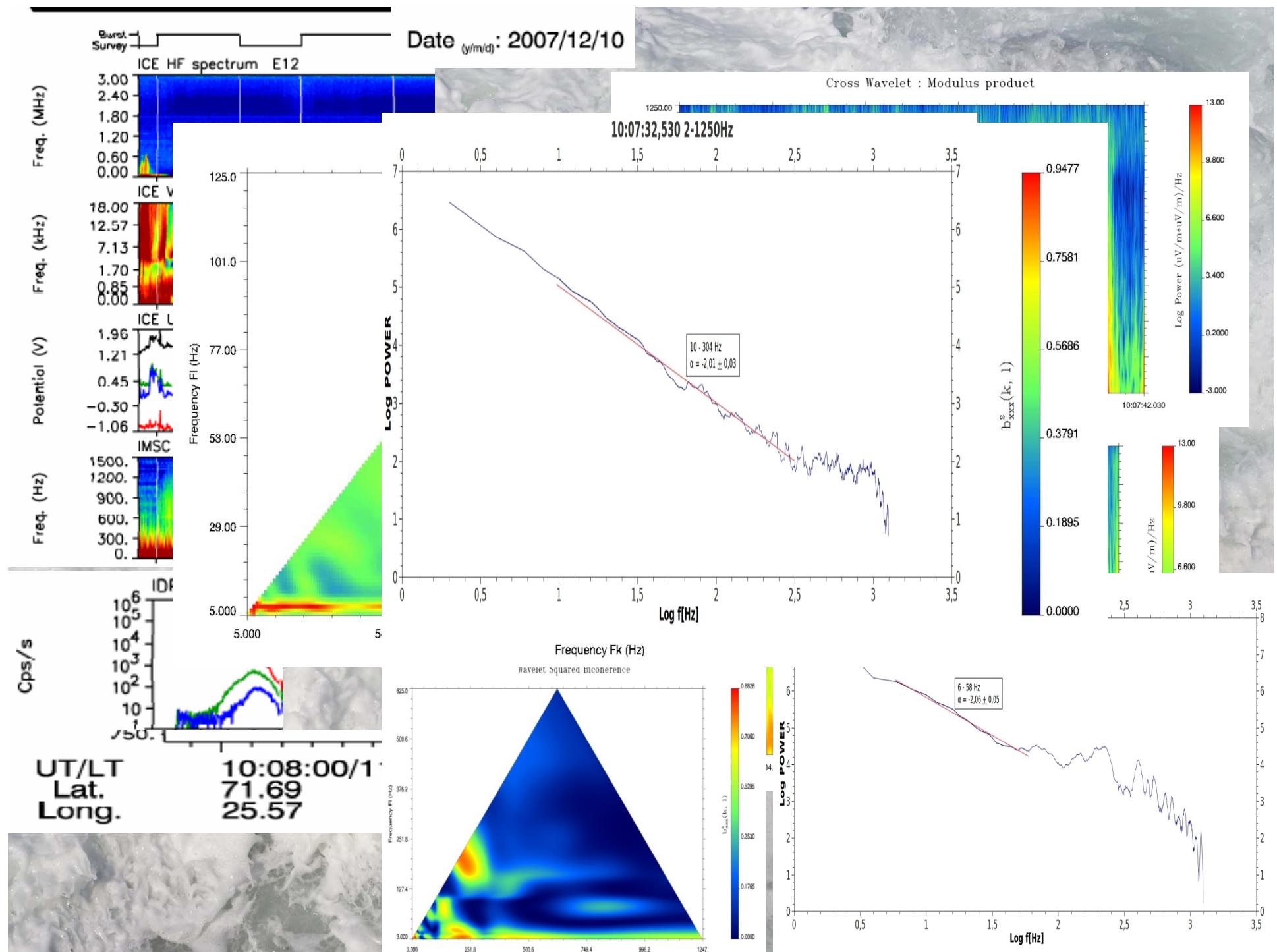
Orbit: 18360_0





Moment evolution





Conclusions

- We presented the electromagnetic effects observed by DEMETER satellite prior to the earthquakes in L'Aquila and Chile. These results are compared with obsevations the polar cusp.
- The analysis of the wave form in ELF frequency range with Fourier, wavelet and bispectral methods has shown the presence of the strong emissions in this frequency range in the ionosphere before the earthquake.
- The discussed results over seismic regions have been obtained during very quiet time and therefore no ionospheric and magnetospheric sources of perturbations were expected.
- The statistical analysis of the wave data shows (Polar cusp, L'Aquila and Chile) the intermittent and non Gaussian character of the registered data what is the feature of the turbulence.
- The turbulence K41 type is dominating in the ionosphere over seismic regions, while in the polar cusp at ionospheric altitudes whistler and mhd turbulence is registered.



THANK YOU FOR YOUR ATTENTION

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